



Los Angeles Community College District

COURSE OUTLINE

SECTION I: BASIC COURSE INFORMATION

- 1. COLLEGE: Pierce
2. SUBJECT (DISCIPLINE) NAME (40 characters, no abbreviations): Math
3. COURSE NUMBER: 270
4. COURSE TITLE: Linear Algebra
5. UNITS: 3.00
6. CATALOG COURSE DESCRIPTION -- Provide a description of the course, including an overview of the topics covered:

Covers vector spaces, linear transformations and matrices, matrix algebra, determinants, solutions of systems of equations, eigenvectors and eigenvalues.

- 7. CLASS SCHEDULE COURSE DESCRIPTION -- Provide a brief description of the course, including an overview of the topics covered:

Covers vector spaces, linear transformations and matrices, matrix algebra, determinants, solutions of systems of equations, eigenvectors and eigenvalues.

8. COLLEGE APPROVAL DATE:

9. UPDATES (check all applicable boxes):

- Content Last Update: Jan. 17, 2005
Objectives Last Update: Jan. 17, 2005
College Specific Course Attributes/Data Elements Last Update:
Districtwide Course Attributes/Data Elements Last Update:
Other (describe) Last Update:

Empty rectangular box for additional information.

10. CLASS HOURS:

Table with 4 columns: Activity, Hours per week (based on 18 weeks), Total Hours per term (hrs per week x 18), Units. Rows include Lecture, Lab/activity (w/ homework), Lab/activity (w/o homework), and Total.

Note: The Carnegie Rule and Title 5, section 55002 sets forth the following minimum standards: 1 unit = 1 hour lecture per week, 2 hours homework per week; OR 2 hours per week of lab with homework; OR 3 hours of lab per week without homework.

1 Underlined course attributes are the same for the course throughout the LACCD; all other course attributes are college specific.

**PREREQUISITES, COREQUISITES, ADVISORIES ON RECOMMENDED PREPARATION, and LIMITATION ON ENROLLMENT**

**Note:** The LACCD's *Policy on Prerequisites, Corequisites and Advisories* requires that the curriculum committee take a separate action verifying that a course's prerequisite, corequisite or advisory is an "appropriate and rational measure of a student's readiness to enter the course or program" and that the prerequisite, corequisite or advisory meets the level of scrutiny delineated in the policy.

Prerequisites: **Yes** (If yes, complete information below)

Subject	Number	Course Title	Units	Validation Approval Date (for official use only)
Math	262	Calculus II	5	

Corequisite: **None** (If yes, complete information below)

Subject	Number	Course Title	Units	Validation Approval Date (for official use only)

Advisories: **Yes** (If yes, complete information below)

Subject	Number	Course Title	Units	Validation Approval Date (for official use only)
Math	263	Calculus III	5	

**11. OTHER LIMITATIONS ON ENROLLMENT** (see Title 5, section 58106 and Board Rule 6803 for policy on allowable limitations. Other appropriate statutory or regulatory requirements may also apply):

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## SECTION II: COURSE CONTENT AND OBJECTIVES

### 1. COURSE CONTENT AND OBJECTIVES:

COURSE CONTENT AND SCOPE – <b>Lecture:</b> If applicable, outline the topics included in the lecture portion of the course ( <i>Outline reflects course description, all topics covered in class.</i> )	Hours per topic	COURSE OBJECTIVES - <b>Lecture</b> ( <i>If applicable:</i> upon successful completion of this course, the student will be able to... ( <i>Use action verbs – see Bloom's Taxonomy below for "action verbs requiring cognitive outcomes."</i> ))
1. Linear equations a. Row reduction and echelon forms b. Vector equations c. Matrix equations	6	Upon completion of this course, the student will be able to:
2. Matrix algebra a. Sums, products, transposes b. Inverses c. Partitioned matrices	6	1. Solve systems of equations with row reductions and echelon forms or with matrix factorizations
3. Determinants a. Properties b. Cramer's Rule	3	2. Reformulate statements about linear systems of equations into statements about vector equations, matrix equations, and/or linear transformations
4. Vector spaces a. Space and subspace b. Linear independence, span, and bases c. Null, column, row spaces d. Dimension e. Rank f. Change of basis	13	3. Construct a basis of a given subspace 4. Compute an orthonormal basis using Gram-Schmidt
5. Linear transformations a. Definition b. Matrix representation	4	5. Formulate the matrix representation of a linear transformation in terms of specified bases
6. Eigenvectors and eigenvalues a. Definition b. Characteristic equation c. Diagonalization d. Linear transformation	7	6. Compute the eigenvalues and eigenvectors of a given matrix 7. Demonstrate the invertibility of a matrix using conditions on the corresponding linear transformation, row space, column space, determinant, eigenvalues, rank, consistency and/or uniqueness of solutions to associated linear systems
7. Orthogonality a. Inner product, length b. Orthogonal sets c. Orthogonal projections d. Gram-Schmidt	8	8. Construct proofs based on definitions and previously established theorems
8. Symmetric matrices a. Diagonalization b. Quadratic forms	4	9. Find a matrix representation of a quadratic form
9. Applications	3	
This course may also include: 1. Least-squares problems 2. Applications to image processing 3. Singular Value Decomposition 4. Circuit design 5. Other vector spaces		

